

Adaptive Mixed-Signal System Design

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Outline

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- Challenges
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Motivations

- In contemporary radio receivers for mobile applications, the front-end is **inflexible**.
- The modern radio environment, however, is **highly variable**.
- The result is that a receiver is usually designed to perform under the **worst-case** conditions.
- The solution is an **adaptive/reconfigurable** RF front-end



Motivations

- Adaptive circuitry can extend the reliability, parametric performance of many mission-critical systems.
- Adaptive radio front-end can change itself to the form which fits the actual reception situation best.

Challenges

- The design of today's adaptive circuits, when at RF frequency and digitally controlled, requires consideration of design domains whose tools and methodologies have **traditionally been partitioned**, i.e., mixed-signal design flow problem, mixed-signal CAD tools' compatibility.

Challenges

- As mentioned before, adaptive RF front-ends need digital control feedback signal, but where does this digital control signal come from? And how do we generate it?
- Possible solution: non-classical system partitioning using ancillary ADCs/DACs.

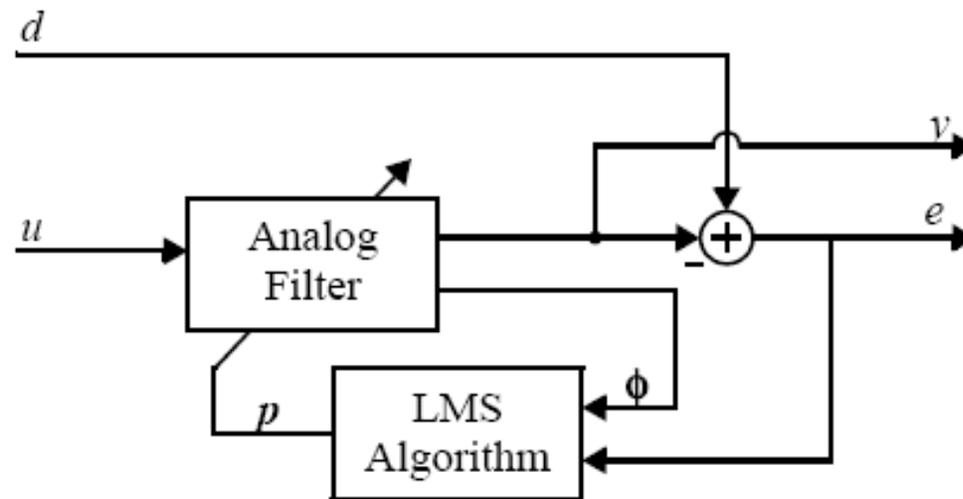
Challenges

- Since we want to introduce feedback to adaptively adjust certain parameters of the system, we must face the issue of stability.
- The frequencies that the RF front-end is operating at makes it necessary to consider distributed effects, i.e., design might be layout-driven rather than top-down, schematic-based flow.

Algorithms

- Steepest Descent
- Least Mean Square (LMS)
- Least Square (LS)
- Recursive Least Squares (RLS)

Least Mean Square (LMS) Algorithm



$$\varepsilon(\mathbf{p}(k)) = E[(d(k) - y(k))^2] = E[e^2(k)]$$

Least Mean Square (LMS) Algorithm

- How does it work?

Update $p(k)$ iteratively in a direction opposite the gradient of the error signal at the current $p(k)$

The update rule is

$$p(k+1) = p(k) - \mu \cdot \nabla_{p(k)} \varepsilon(p(k))$$

Least Mean Square (LMS) Algorithm

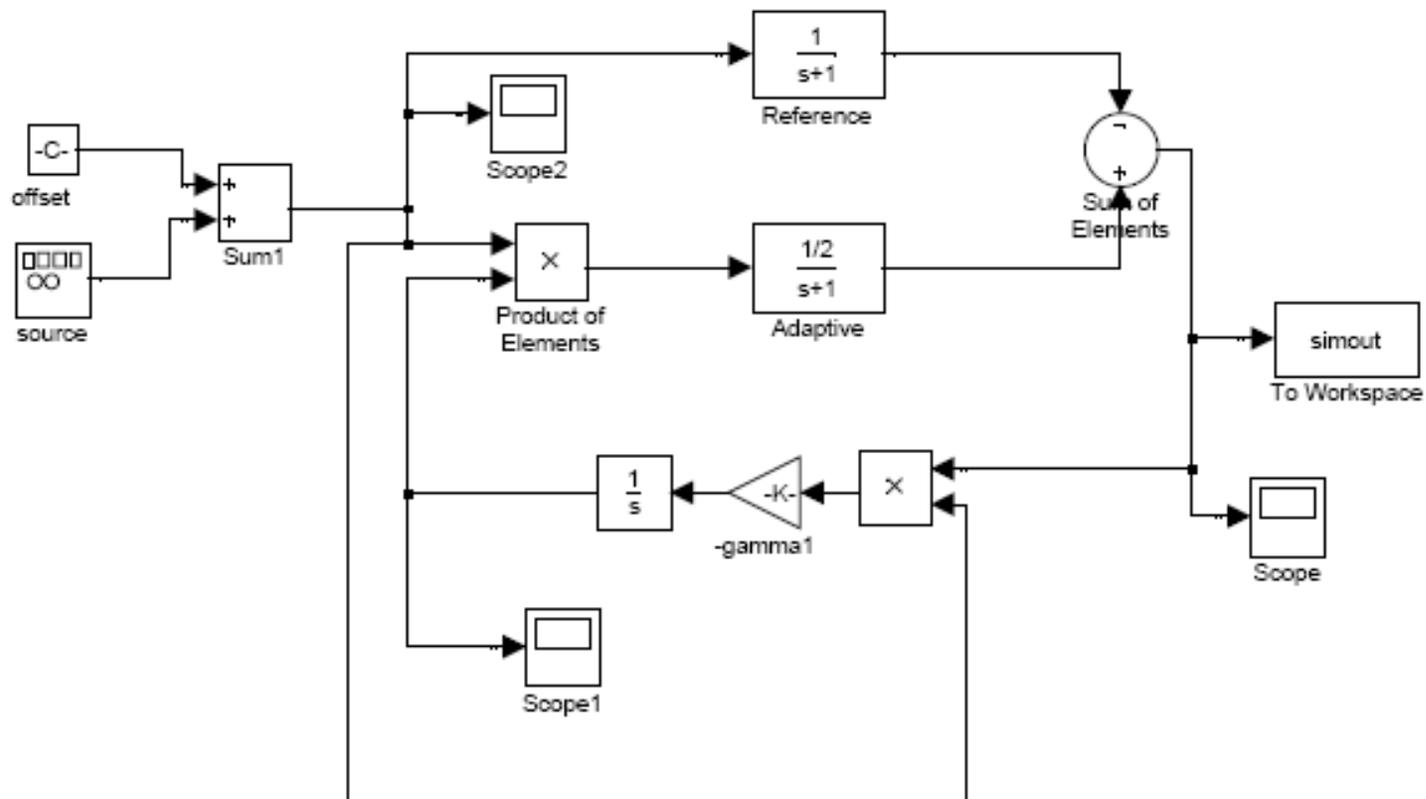
- The most significant leap

$$\varepsilon(\mathbf{p}(k)) = E[e^2(k)] \approx e^2(k)$$

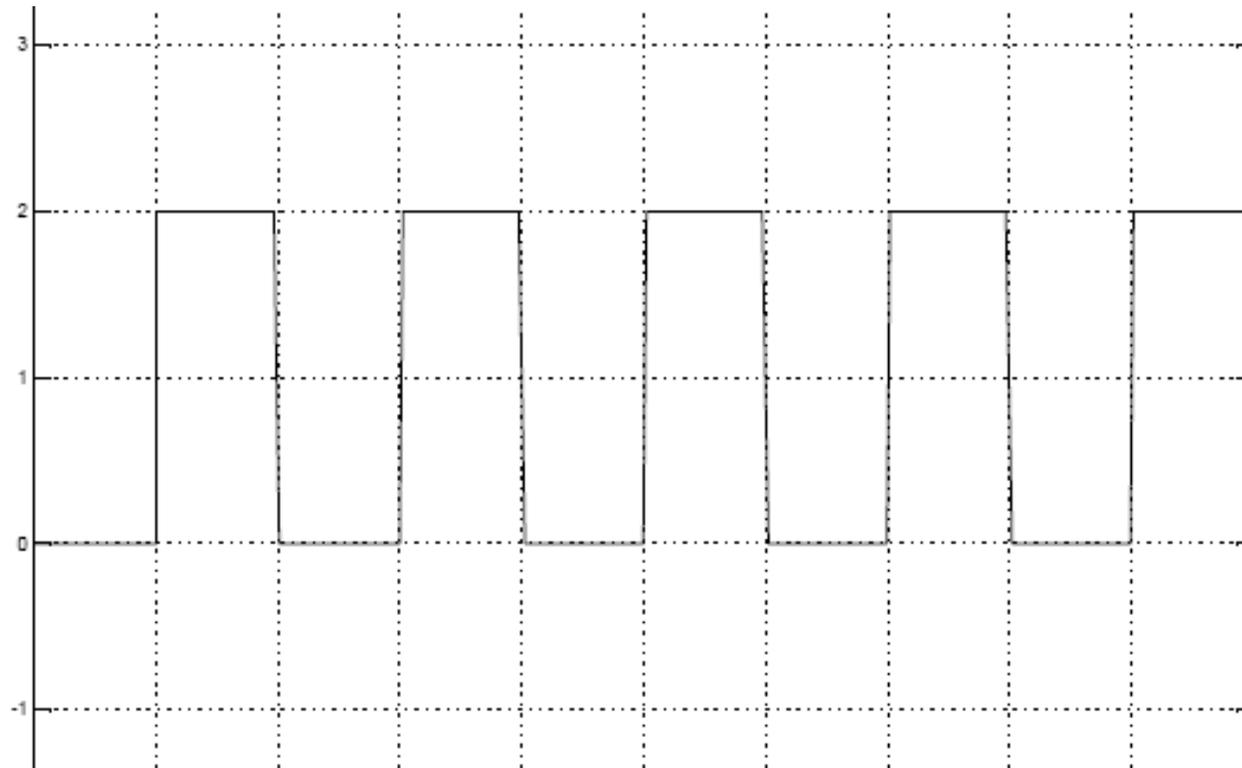
- The resulting update rule

$$\begin{aligned} \mathbf{p}(k+1) &= \mathbf{p}(k) - \mu \cdot \nabla_{\mathbf{p}(k)} e^2(k) \\ &= \mathbf{p}(k) - \mu \cdot \frac{de^2(k)}{de(k)} \cdot \nabla_{\mathbf{p}(k)} e(k) \\ &= \mathbf{p}(k) - \mu \cdot (2e(k)) \cdot \nabla_{\mathbf{p}(k)} (d(k) - y(k)) \\ &= \mathbf{p}(k) - 2\mu e(k) \cdot (-\nabla_{\mathbf{p}(k)} y(k)) \\ &= \mathbf{p}(k) + 2\mu e(k) \cdot \boldsymbol{\phi}(k) \end{aligned}$$

Examples



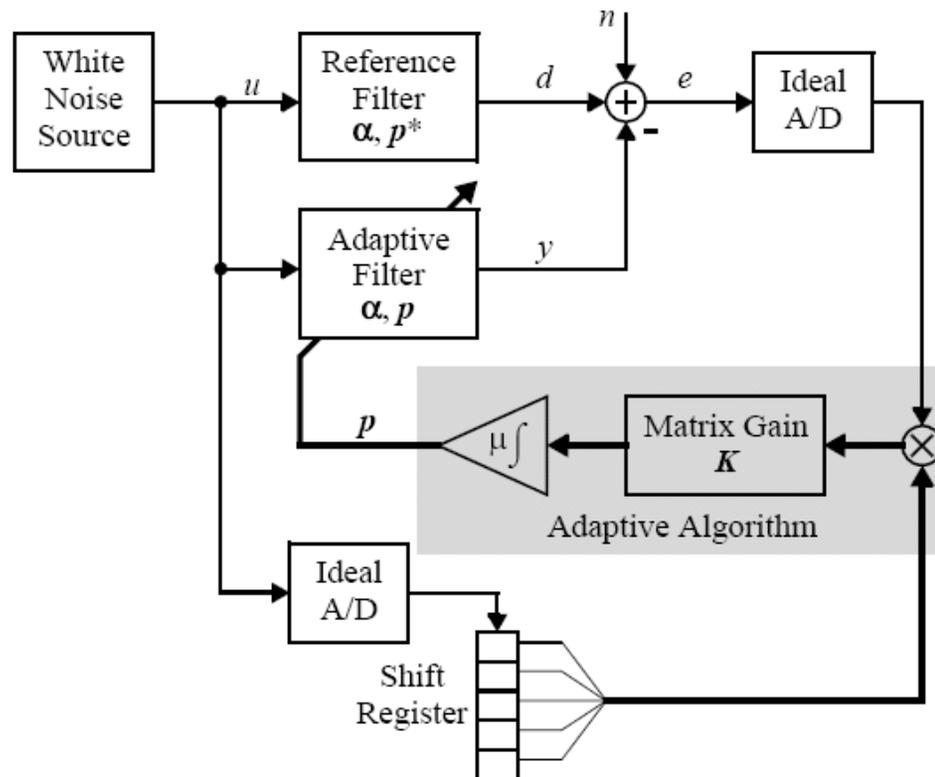
Examples



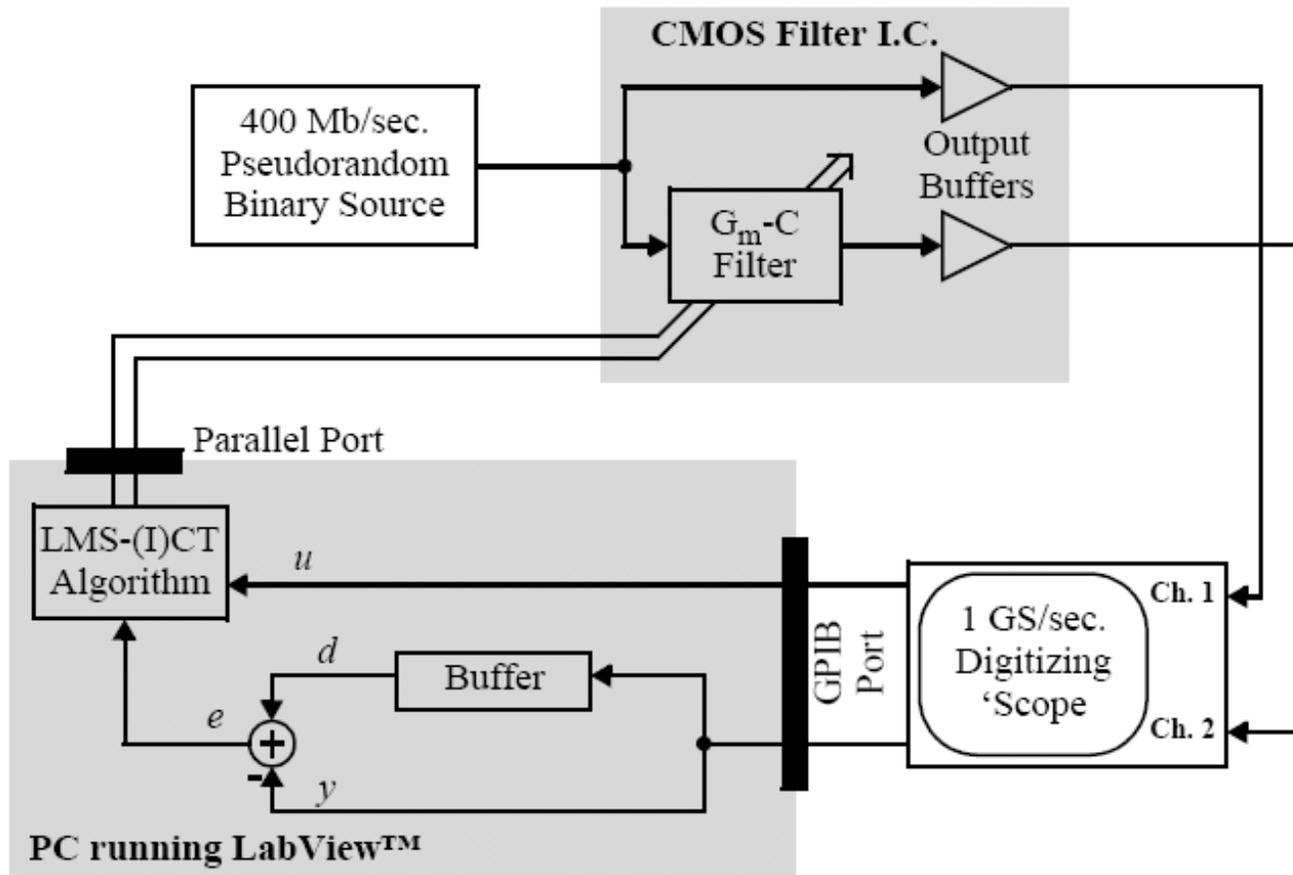
Examples



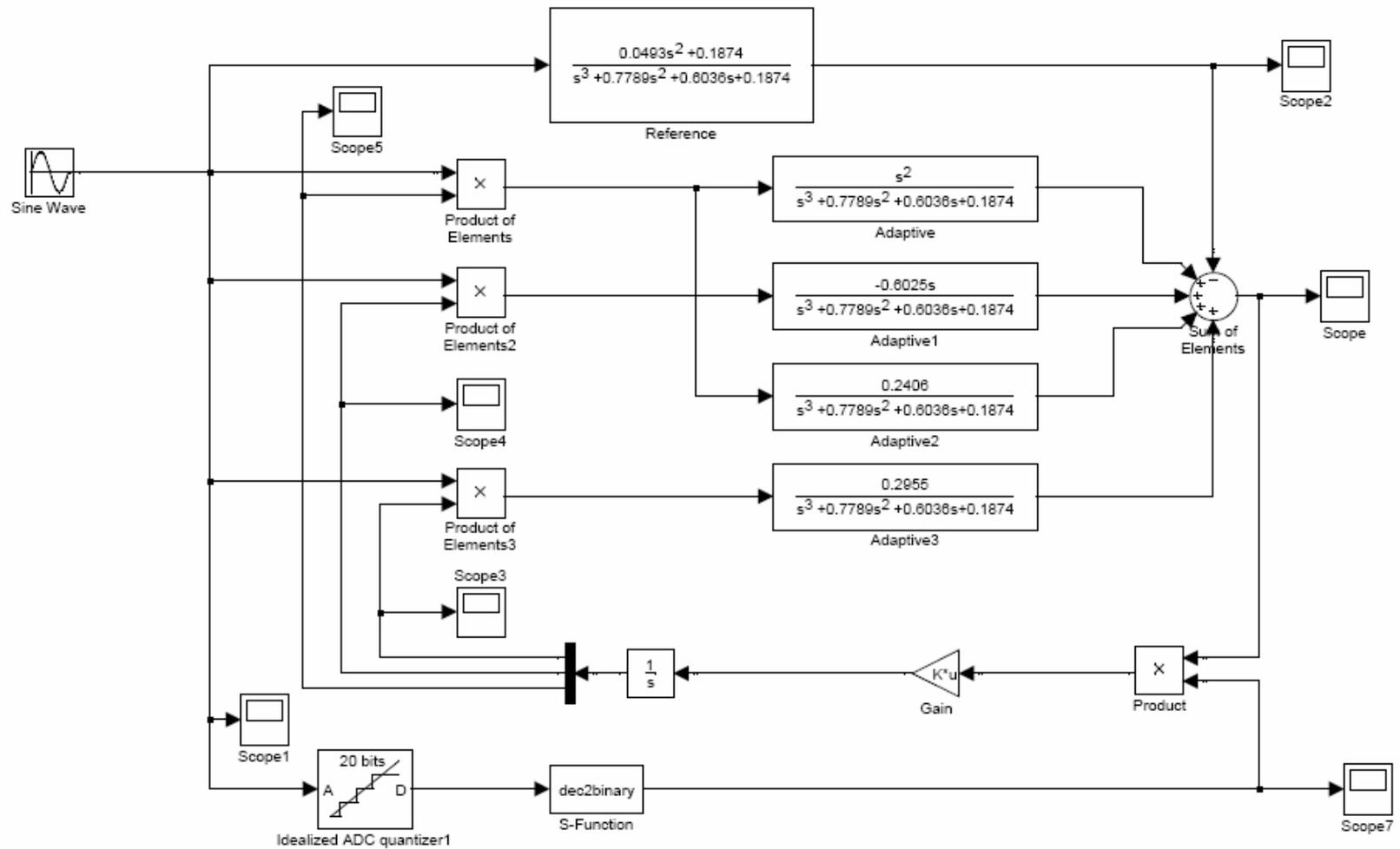
Examples



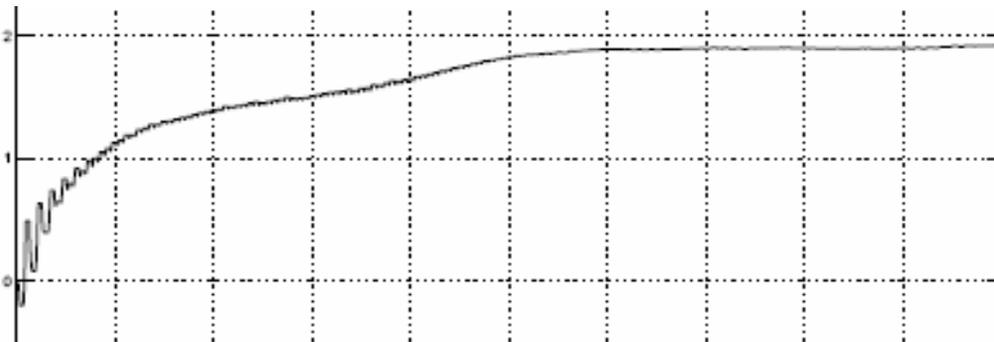
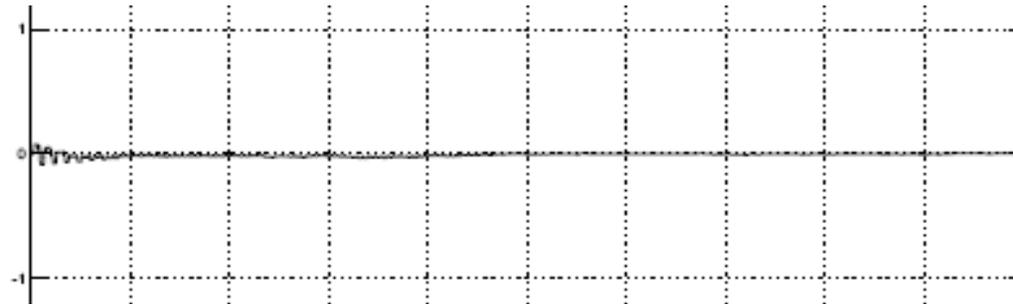
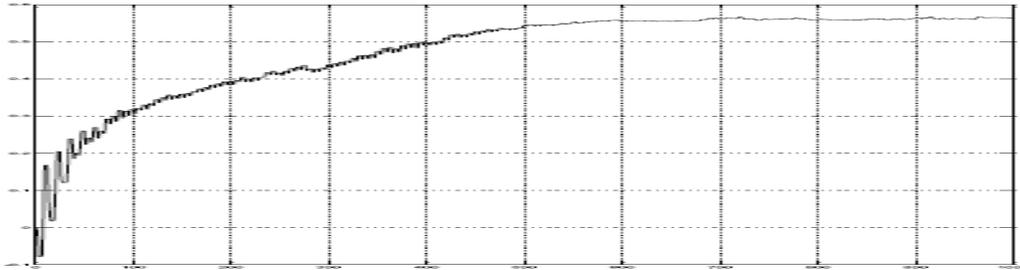
Examples



Examples



Examples



References

- Adaptive Filter Theory, 3rd edition, Simon Haykin, Prentice Hall
- Real-time concurrent Design of Adaptive High-Frequency Circuits, Michael Heimlich, Joel Kirshman
- A Top-Down Mixed-Signal Design Methodology Using a Mixed-Signal Simulator and Analog HDL
- Analogue adaptive filters: past and present, A. Carusone and D.A. Johns
- Digital LMS Adaptation of Analog Filters Without Gradient Information, Anthony Carusone, David Johns

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- Questions?
 - Thank you!